

**BACHELOR OF COMPUTER APPLICATIONS (C.B.C.S.) (2014 COURSE)**  
**B.C.A. Sem-V : WINTER : 2021**  
**SUBJECT: COMBINATORICS & GRAPH THEORY**

Day : Thursday  
Date : 13-01-2022

W-11053-2021

Time : 10:00 AM-01:00 PM  
Max. Marks: 100

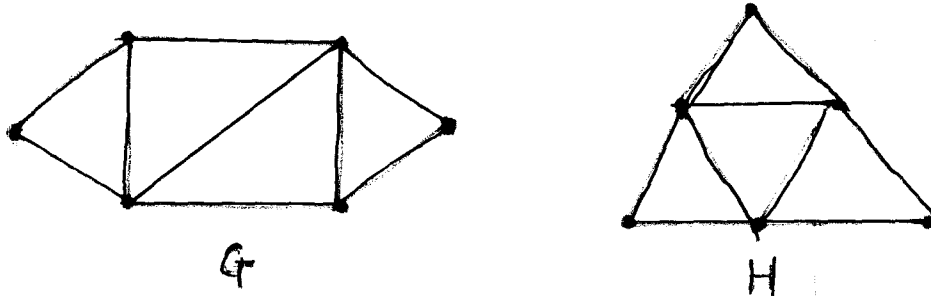
**N. B. :**

- 1) Attempt **ANY FOUR** questions from section – I and **ANY TWO** questions from section – II.
- 2) Figures to the right indicate **FULL** marks.
- 3) Answers to both the sections should be written in **SEPARATE** answer books.
- 4) Use of non-programmable calculator is **ALLOWED**.

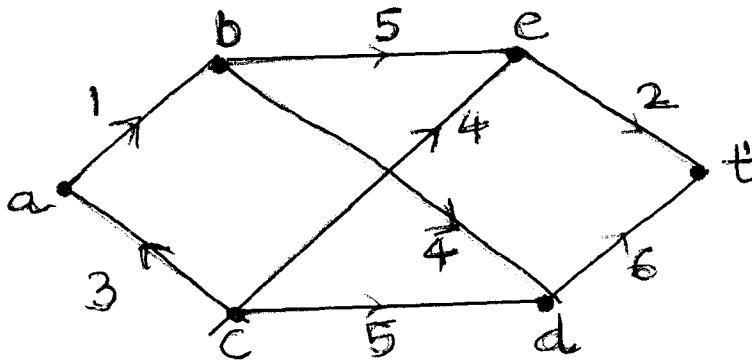
**SECTION – I**

- Q. 1** A bag contains six white marbles and five red marbles. Find the number of ways four marbles can be drawn from the bag if: (15)
- a) They can be any color.
  - b) Two must be white and two red.
  - c) One red and three white

- Q. 2** Define isomorphism. State whether the following graphs are isomorphic or not. (15)



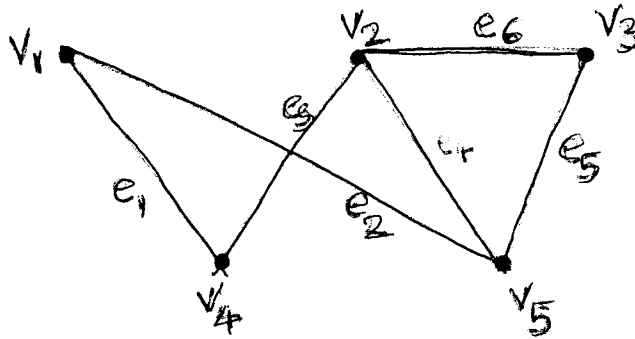
- Q. 3** Apply Dijkstra's algorithm and determine the shortest distance from vertex 'a' to each of the other vertices in the directed graph: (15)



- Q. 4** Two fair dice are thrown. Find the probability that: (15)
- a) The total score is 10.
  - b) Sum of the scores is a prime number.
  - c) The product on upper most faces is either prime number or even number.

P. T. O.

Q. 5 a) Represent the graph with an Incidence Matrix. (08)



b) Write note on Applications of trees. (07)

Q. 6 Find the number of distinct permutations that can be formed from all the letters of given words: (15)

ii) RADAR ii) UNUSUAL iii) MISSISSIPPI

Q. 7 Write short notes on ANY THREE of the following: (15)

- Coloring of Graphs
- Bridges of Konigsberg
- Depth – First Algorithm
- Application of Pigeonhole principle

### SECTION – II

Q. 8 a) Explain the following applications of graph: (10)

- Utilities problem
- Seating arrangement problem

b) If A and B are any two events such that (10)

$P(A) = 1/3$ ,  $P(B) = 1/4$  and  $P(A \cup B) = 1/2$ ,  
then :

- Find  $P(A/B)$  and  $P(B/A)$
- Are A and B independent?

Q. 9 Let  $A = \{1, 2, 3, 4\}$  and  $R = \{(2, 1) (2, 3) (3, 1) (3, 4)(4, 1)(4, 3)\}$  be the relation of A. (20)

Find the transitive closure of R using Warshall's Algorithm.

Q. 10 In an office there are 3 clerks assigned to process the incoming copies of a certain form. The first clerk processes 40 % of the forms and has an error rate (probability error) of 0.04, the second clerk possesses 35 % forms with an error rate of 0.06. While the third clerk processes the rest and has the error rate of 0.03. A form chosen randomly from day's output is found to have an error. (20)

Find the chance that it was processed by the first clerk, second clerk and third clerk.

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