

**F.Y. B. SC. (Computer Science) SEM – I (2014 COURSE) : WINTER -
2018**

SUBJECT: MATHEMATICAL FOUNDATION OF COMPUTER SCIENCE – I

Day : Monday
Date : 15/10/2018

W-2018-0940

Time : 12.00 NOON TO 02.00 PM
Max. Marks : 40

N.B.:

- 1) All questions are **COMPULSORY**.
 - 2) Figures to the right indicate **FULL** marks.
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Q.1 Attempt **ANY TWO** of the following: **[10]**

- a) Prove that $\sqrt{2}$ is irrational by using proof of contradiction.
- b) Prove the following logical equivalence $p \vee (q \wedge r) \equiv (p \vee q) \wedge (p \vee r)$.
- c) Solve the recurrence relation
 $a_r - 8a_{r-1} + 16a_{r-2} = 0$
With initial conditions $a_2 = 16$ and $a_3 = 80$.

Q.2 Attempt **ANY TWO** of the following: **[10]**

- a) Prove that “Every distributive lattice is modular lattice”.
- b) Find CNF of $f(x, y, z) = \bar{x} + (y \cdot (\bar{z} + x))$.
- c) Solve the recurrence relation
 $a_n = -4a_{n-1} - 4a_{n-2}; a_0 = 0, a_1 = 1$.

Q.3 Attempt **ANY TWO** of the following: **[10]**

- a) State and prove principle of Inclusion – Exclusion.
- b) There are 6 boys and 3 girls in a class. A committee of 5 is to be selected such that there are 3 boys and 2 girls in the committee in how many ways can the committee be selected? Determine the number ways, if there is at least one girl in the committee.
- c) Find the particular solution of
 $a_r + 5a_{r-1} + 6a_{r-2} = 3r$.

Q.4 Attempt **ANY FIVE** of the following: **[10]**

- a) Write the negation of the following statement
 $\exists x (P(x) \wedge \sim Q(x))$.
- b) Define the term contradiction.
- c) Draw Hasse diagram for $(D_{30}, |)$.
- d) Define Bounded Lattice.
- e) State Pigeon-hole principle.
- f) How many three digits number can be form using the numbers 5 and 4?
- g) Define Homogeneous solution.

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