

**B. TECH. SEM -VI (E & TC ENGG.) (2014 COURSE) (CBCS) :  
SUMMER - 2018**

**SUBJECT : INFORMATION THEORY & CODING**

Day : **Monday**  
Date : **11/06/2018**

**S-2018-2461**

Time : **02.30 PM TO 05.30 PM**  
Max. Marks : 60

**N.B.:**

- 1) All questions are **COMPULSORY**.
- 2) Figures to the right indicate **FULL** marks.
- 3) Use of non-programmable **CALCULATOR** is allowed.
- 4) Assume suitable data if necessary.

**Q.1** Apply Shannon-fano coding for the following message. Find coding efficiency [10] and determine the entropy of the source.

X	X <sub>1</sub>	X <sub>2</sub>	X <sub>3</sub>	X <sub>4</sub>	X <sub>5</sub>	X <sub>6</sub>	X <sub>7</sub>
P(x)	0.45	0.15	0.1	0.1	0.08	0.08	0.04

**OR**

Apply Huffman's coding for the following message. [10]

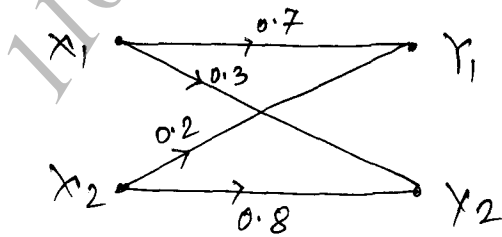
X	X <sub>1</sub>	X <sub>2</sub>	X <sub>3</sub>	X <sub>4</sub>	X <sub>5</sub>	X <sub>6</sub>	X <sub>7</sub>
P(x)	0.45	0.15	0.1	0.1	0.08	0.08	0.04

Determine the entropy of the source average length, find the coding efficiency.

- Q.2** a) What do you mean by Joint and Conditional entropy? Derive relation between them. [06]
- b) Properties of Mutual Information. [04]

**OR**

Find channel capacity and mutual information of the channel shown in figure. [10]  
The source symbol probabilities are: i)  $P(X_1) = 0.4$  ii)  $P(X_2) = 0.6$ .



- Q.3** a) Explain channel coding theorem. [05]
- b) Write short note on : Gaussian Distribution. [05]

**OR**

**P.T.O.**

Derive an expression for channel capacity of binary erasure channel whose channel matrix is given by [10]

$$P(Y/X) = \begin{bmatrix} (1-p) & p & 0 \\ 0 & p & (1-p) \end{bmatrix}. \text{ Also draw channel diagram.}$$

**Q.4** Consider a (6, 3) linear block code whose generator matrix is given by [10]

$$G = \begin{bmatrix} 1 & 0 & 0 & 0 & 1 & 1 \\ 0 & 1 & 0 & 1 & 0 & 1 \\ 0 & 0 & 1 & 1 & 1 & 0 \end{bmatrix}$$

- Find all code vectors.
- Find parity check matrix.
- Error detecting and correcting capabilities of code.

OR

Consider a (7, 4) linear block code the generator matrix is given by: [10]

$$G = \begin{bmatrix} 1 & 0 & 0 & 0 & 1 & 0 & 1 \\ 0 & 1 & 0 & 0 & 1 & 1 & 1 \\ 0 & 0 & 1 & 0 & 1 & 1 & 0 \\ 0 & 0 & 0 & 1 & 0 & 1 & 1 \end{bmatrix}$$

- Find all code vectors.
- Find parity check matrix.
- Determine error detecting and correcting capabilities of code.

**Q.5** Design an encoder and syndrome calculator for the (7, 4) cyclic code generated by  $g(x) = x^3 + x + 1$ . Verify its operation using the message vector (0 1 0 1). [10]

OR

a) Explain BCH code and R.S. code. [05]

b) Explain R.S. code [05]

**Q.6** Write short note on: [10]

- Code tree
- Trellis diagram

OR

For the convolutional encoder arrangement shown in figure. Draw the state and trellis diagram. Determine out digit sequence for the data digits [11010100]. [10]

