## B. Tech. Sem –III (Electrical Engg.) 2014 COURSE) (CBCS) : SUMMER - 2019

## SUBJECT: DIGITAL COMPUTATIONAL TECHNIQUES

Day: Tuesday
Date: 14/05/2019

Time: 02.30 PM TO 05.30 PM Max Marks. 60

te: 14/05/2019 S-2019-2564

N.B. :

- 1) All questions are **COMPULSORY**.
- 2) Figures to the right indicate **FULL** marks.
- 3) Draw neat diagrams **WHENEVER** necessary.
- 4) Use of scientific calculator is **ALLOWED**.
- Q.1 a) State and explain operators in C++ along with one example each. (06)
  - b) Write a short note on control statements in C++.

OR

- Q.1 a) What are the loops in C++? Why it is required while writing any program? (06) Explain types of loops with examples for each.
  - b) What are arrays in MATLAB? Explain with examples. (04)
- Q.2 a) State and explain Intermediate value theorem with its graphical (06) representation. Write an example which satisfies Intermediate value theorem.
  - b) Solve the following: (04) Multiply the floating numbers:  $47.31834 \times 10^{15}$  &  $3.1942 \times 10^{12}$  Add the following numbers:  $0.4731923 \times 10^7$  &  $0.783329 \times 10^7$

OR

- Q.2 a) Explain Rolle's Theorem in detail. (06)
  - b) Discuss briefly the different types of errors encountered in performing (04) numerical calculations.
- Q.3 a) Using 3 iterations of bisection method, determine roots of the equation: (06)  $f(x) = -0.9x^2 + 1.7x + 2.5. \text{ take initial values : } x_1 = 2.8 & x_2 = 3$ 
  - b) Find straight line to following data and estimate the value of y corresponding (04) to x=6

| X | 0  | 5  | 10 | 15 | 20 | 25 |
|---|----|----|----|----|----|----|
| у | 12 | 15 | 17 | 22 | 24 | 30 |

**OR** 

- Q.3 a) Find the root of  $\sin x = x-2$  by Regula Falsi method, where x is in radians. (06) Perform 5 iterations only. Take initial approximation as (2, 3)
  - b) Find the root of  $f(x) = 3x + \sin x e^x$ , correct to four decimal places using (04) Newton Raphson method. Take initial approximations as 0.
- Q.4 a) The temperature viscosity relationship is given for hydrodynamic bearing is (06) as follows:

| t <sup>0</sup> C | 40   | 41 | 42   | 43 | 44 | 45 |
|------------------|------|----|------|----|----|----|
| Z(CP)            | 52.5 | 50 | 47.5 | 45 | 43 | 41 |

Calculate the temperature of lubricant for viscosity of (43.2) using Newton's backward difference method.

**b)** Given that: y(5) = 4, y(6) = 3, y(7) = 4, y(8) = 10, y(7) = 4. find  $\Delta^4 y(5)$  (04)

| X | 5 | 6 | 7 | 8  |
|---|---|---|---|----|
| у | 4 | 3 | 4 | 10 |

P.T.O.

(04)

Find f(x) at x=7 from following table by using Sterling Interpolation (05) Q.4 a) formula.

| X      | 2 | 4  | 6   | 8   | 10  |
|--------|---|----|-----|-----|-----|
| y=f(x) | 5 | 49 | 181 | 449 | 901 |

Find the value of y at x = 1.5 by using Lagrange's Interpolation method (05)b)

| X      | 0 | 1 | 2  | 5   |
|--------|---|---|----|-----|
| y=f(x) | 2 | 3 | 12 | 147 |

Find the value of  $\frac{dy}{dx}$  for x = 0.2 from following table: (05)

| X            | 0.1    | 0.2   | 0.3   | 0.4    | 0.5    | 0.6    |
|--------------|--------|-------|-------|--------|--------|--------|
| $y = \log x$ | - 2.30 | - 1.6 | - 1.2 | - 0.91 | - 0.69 | - 0.51 |

Evaluate  $\int_{0}^{\infty} x \cdot \sin x \, dx$  using Trapezoidal rule for 13 ordinates. (05)

Q.5 a) Solve  $\frac{dy}{dx} = x^2 + y^2$ . Given that y (0) = 1, find y at x = 0.1 and x = 0.2 using (06)Taylor series method.

State and explain Euler's Method for solution of ordinary differential (04)b) equation.

**Q.6** a) Solve the following equations by Gauss-Seidel Iterative method correct to (05) three significant digits

$$x_1 + 10x_2 - 4x_3 = 6$$
$$2x_1 - 4x_2 + 10x_3 = -15$$
$$9x_1 + 2x_2 + 4x_3 = 20$$

Solve the following equations by Gauss elimination method b)

(05) $x_1 + 20x_2 + x_3 = 22$  $-x_1 - x_2 + 20x_3 = 18$  $20x_1 + x_2 - x_3 = 20$ 

Find the inverse of following matrix using Gauss Jordan elimination method (06)**Q.6** a)

$$\begin{bmatrix} 1 & 2 & -1 \\ 3 & 8 & 2 \\ 4 & 9 & -1 \end{bmatrix}$$

Find the numerically larger Eigen value of the matrix by Power method (04)b)

$$A = \begin{bmatrix} 5 & 4 \\ 1 & 2 \end{bmatrix}$$

Take initial value as

$$X_0 = \begin{pmatrix} 1 \\ 0 \end{pmatrix}$$